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## SIDDHARTH INSTITUTE OF ENGINEERING & TECHNOLOGY: PUTTUR (AUTONOMOUS)

## **B.Tech II Year I Semester Supplementary Examinations Nov/Dec 2019**

## RANDOM SIGNAL AND STOCHASTIC PROCESSES

(Electronics & Communication Engineering)

|      |     | (Electronics & Communication Engineering)  |            |
|------|-----|--|------------|
| ime: | 3 h | ours Max. Marks: 60  |            |
|      |     | (Answer all Five Units $5 \times 12 = 60$ Marks)  UNIT-I   |            |
| 1    | a   | Define the following with examples.  | <b>7M</b>  |
|      |     | i. Sample space ii. Event iii. Mutually exclusive events. iv. Independent events.                    |            |
|      | b   | Two cards are drawn from a 52 –card deck (the first is not replaced).                                | 5M         |
|      |     | i) Given that first card is a queen, what is the probability that the second is also a Queen.        |            |
|      |     | ii) Repeat part (i) but replace the first card with a queen and the second card with a 7.            |            |
|      |     | OR   |            |
| 2    | a   | Explain about Joint and Conditional probability and also state the properties of Joint               | <b>6M</b>  |
|      |     | and Conditional probability.   |            |
|      | b   | i) Write axioms of probability.  | <b>6M</b>  |
|      |     | ii) Explain probability as a relative frequency.   |            |
|      |     | UNIT-II  |            |
| 3    |     | Explain Covariance and Correlation coefficients.   | <b>6M</b>  |
|      | b   | Discuss about Joint characteristic function and its properties.                                      | <b>6M</b>  |
| _    |     | OR   |            |
| 4    |     | Define Expected value of a function of two random variables.   | 6M         |
|      | b   | Explain about Joint moment generating functions? And its properties.  UNIT-III                       | 6M         |
| 5    | a   | Define first order, second, wide-sense and strict sense stationary process.                          | <b>5</b> M |
|      | b   | Prove the following  | <b>7M</b>  |
|      |     | i) $ R_{XX}(\tau)  \le R_{XX}(0)$ ii) $R_{XX}(-\tau) = R_{XX}(\tau)$ iii) $R_{XX}(0) = E[x^2(t)]$ OR |            |
| 6    | 9   | Write a short note on ergodic random processes.  | 5M         |
| U    |     | Determine whether the random process $X(t)=A\cos(\omega_0 t+\theta)$ is wide sense                   | 7M         |
|      | ~   | stationary or not. Where A, $\omega_0$ are constants and $\theta$ is a uniformly distributed random  | 7111       |
|      |     | variable on the Interval $(0,2\pi)$ .  |            |
|      |     | UNIT-IV  |            |
| 7    | a   | State and prove properties of PDS.   | <b>6M</b>  |
|      |     | The PSD of $X(t)$ is given by  | 6M         |
|      |     | $S_{XX}(\omega)=1+\omega^2$ for $ \omega <1$   |            |
|      |     | 0 otherwise  |            |
|      |     | Find the Autocorrelation function.   |            |
|      |     | OR   |            |
| 8    | a   | Derive the relation between Autocorrelation function and Power spectral density                      | 6M         |

- spectrum.
  - **b** Find the PSD of stationary random process for which the autocorrelation function is **6M**  $R_{XX}(\tau) = 6e^{-\alpha|\tau|}$

| UNIT-V |
|--------|
|--------|

| 9 | a Calculate the mean of the system response Y (t).  | <b>6M</b> |
|---|---|-----------|
|   | <b>b</b> If X(t) is a differentiable WSS random process and Y(t)=dX(t)/dt, find an expression | <b>6M</b> |
|   | for $S_{YY}(\omega)$ .  |           |
|   | O.D.  |           |

OR

10 a Write a short note on Band Pass random process.
b Derive the expression for Autocorrelation function of response of an LTI system.
6M

\*\*\* END \*\*\*